

Discrete Cosine Analysis

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A Mathematica notebook to load in an audio signal (stored in an Excel workbook) and perform a discrete cosine analysis of the frequency content.

Load in and Plot Signal: Stored in file "gong.xlsx", save it somewhere you can access it.

```
In[86]:= s = Import["Base/gong.xlsx"];  
fs = s[[1]];  
n = Length[fs];
```

Compute the duration "T" of the signal, and set the sampling rate (16000 Hz).

```
In[89]:= samprate = 16 000  
T = N[n / samprate]
```

A plot of the data

```
In[93]:= pdat = Table[{(j - 0.5) / samprate, fs[[j, 1]]}, {j, 1, n}];  
ListPlot[pdat, AxesLabel → {"Time (seconds)", "Signal Intensity"},  
ImageSize → Scaled[0.8], Joined → True]
```

For time $t = 1$ to $t = 1.01$ seconds plot from $k = 16000$ to $k = 16161$, roughly

```
In[95]:= pdat = Table[{(j - 0.5) / samprate, fs[[j, 1]]}, {j, 16 000, 16 161}];  
ListPlot[pdat, AxesLabel → {"Time (seconds)", "Signal Intensity"},  
ImageSize → Scaled[0.8], Joined → True]
```

Compute the DCT of the Signal Vector and Plot

Use the built-in FourierDCT command.

```
In[98]:= Ccoef = FourierDCT[fs];
```

Display the DCT versus frequency ($C[k]$ is frequency $(k-1)/(2*T)$).

```
In[110]:= Cdat = Table[{(k - 1) / (2 * T), Abs[Ccoef[[k, 1]]]}, {k, 1, n}];  
ListPlot[Cdat, AxesLabel → {"Frequency (hz)", "Coefficient Magnitude"},  
ImageSize → Scaled[0.8], Joined → True, PlotRange → Full]
```