Name: $\qquad$ Grade: $\qquad$ <-- instructor use

1. Show an NDFSM for the language
$L=\left\{w \in\{0,1\}^{*}: W\right.$ is the binary encoding of a positive integer that is divisible by 16 or is odd $\}$
2. For this NDFSM for $b^{*}(b(a \cup c) c \cup b(a \cup b)(c \cup \varepsilon))^{*} b$ :


What are the values of eps?

| $\operatorname{eps}(\mathrm{q} 7)=$ | $\operatorname{eps}(\mathrm{q} 2)=$ |
| :--- | ---: |
| $\operatorname{eps}(q 3)=$ | $\operatorname{eps}(\mathrm{q} 4)=$ |
| $\operatorname{eps}(\mathrm{q} 5)=$ | $\operatorname{eps}(\mathrm{q} 0)=$ |
| $\operatorname{eps}(q 7)=$ | $\operatorname{eps}(\mathrm{q} 8)=$ |

3. Trace the simulation of this machine with input bbacb.
4. Show the creation of the first few states of an equivalent DFSM.
5. Given a language $L$, two strings $w$ and $x$ in $\Sigma_{L} *$ are indistinguishable with respect to $L$, written $w \approx_{L} x$, iff (English statement):
(first-order logic statement):
6. Show that $\approx_{L}$ is an equivalence relation
7. Tell your instructor about anything from today's session (or from the course so far) that you found confusing or still have a question about. If none, please write "None".
