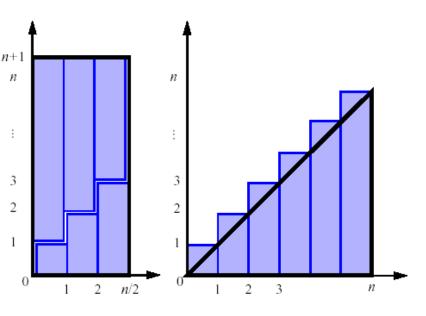
#### Pick up an in-class quiz from the table near the door

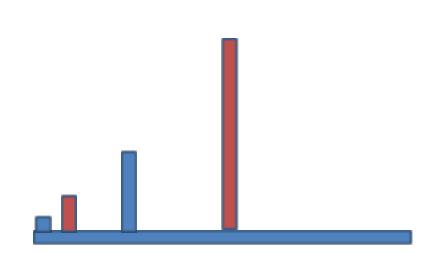
# CSSE 230 Data Structures and Algorithm Analysis Day 1

$$\sum_{i=1}^{n} i = 1 + 2 + 3 + \dots + n = \frac{n^2 + n}{2}$$

- two visual representations



Brief Course Intro Math Review Growable Array Analysis



#### Student Introductions

#### Roll call

- Introduce yourself to the person next to you
- You'll share more with classmates on Piazza discussion forum, like what work you've done that you are most proud of.
- Please write more than a couple of sentences about yourself.

#### Introductions

#### Nate

- At R-H since 2014. Math 2014-16, CSSE since 2016.
- B.S., Harvey Mudd in Math–CS
- Ph.D., Georgia Tech in Algorithms, Combinatorics, & Optimization
- Special interests in cryptography, algorithms, discrete math
- Courses taught at Rose:
  - CSSE230, Design & Analysis of Algorithms, Cryptography
  - DisCo 1 & 2, Calc 2 & 3, DE 1
- Hobbies: cycling, running, triathlon, classical music, travel

Goal: independently design, develop, and debug software that uses correct, clear, and efficient algorithms and data structures

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Proof: Puril a	1
Proof: By definition,	ı
height( $T_L$ ) - height( $T_R$ ) $  \le 1$	ı
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Topic	I do	You do	You practice	You show off
Analysis		Listen, follow,	Homework sets	Tests
Programming			Major programs	Tests, project

#### Why *efficient* algorithms?

Here's \$1,000,000,000:



- Find serial number KB46279860I
- If unsorted, you could look at all 10 million bills.
- If sorted by serial number, binary search finds it by only looking at \_\_\_\_ bills.

#### How to succeed in CSSE230

- Work hard
  - Re-do CSSE220 stuff as needed to make sure your foundations (recursion and linked lists) are strong
- Take initiative in learning
  - Read the text, search Javadocs, come for help
- Focus while in this class
  - https://www.rosehulman.edu/class/cs/csse230/201820/MiscDocuments/LaptopsA reGreatButNotDuringaLectureoraMeeting.pdf (11/26/2017 NYT)
- Start early and plan for no all-nighters
  - Two assignments each week: 1 homework set and 1 major program
- Never give or use someone else's answers

#### **Tools**

- https://www.rose-hulman.edu/class/csse/csse230/201910/Schedule/ schedule, reading/HW/program assignments, room #s!
  - Read the Syllabus: Tomorrow's quiz will start with questions about it.
- www.piazza.com, not email: homework questions and announcements
  - If you email, I'll usually reply, "Great question! Please post it to Piazza"
  - It should auto-email you whenever there is a post.
- <u>moodle.rose-hulman.edu</u>: gradebook, homework pdf turn-in, peer evaluations, solutions

## After today's class, you will be able to...

- analyze runtimes of code snippets by counting instructions.
- explain why arrays need to grow as data is added.
- derive the average and worst case time to insert an item into an array [GrowableArray exercise]

#### Analysis/Math Review

#### Notation

Floor

$$\lfloor x \rfloor$$
 = the largest integer  $\leq x$ 

Ceiling

$$\lceil x \rceil$$
 = the smallest integer  $\geq x$ 

• java.lang.Math, provides the static methods floor() and ceil()

#### Summations

- Summations
  - general definition:

$$\sum_{i=s}^{t} f(i) = f(s) + f(s+1) + f(s+2) + \dots + f(t)$$

 where f is a function, s is the start index, and t is the end index

#### Geometric progressions: each term is a constant multiple of the previous term

- Geometric progression:  $f(i) = a^{i}$ 
  - given an integer  $n \ge 0$  and a real number  $0 \le a \ne 1$

$$\sum_{i=0}^{n} a^{i} = 1 + a + a^{2} + ... + a^{n} = \frac{1 - a^{n+1}}{1 - a}$$
 Memorize this formula!

geometric progressions exhibit exponential growth

Exercise: What is  $\sum_{i=1}^{6} 3^{i}$ ?

This will be useful for today's Growable Arrays exercise!

The sum can also be

$$\frac{a^{n+1}-1}{a-1}$$

#### Arithmetic progressions: constant difference Most important to us: a difference of 1

- Arithmetic progressions:
  - An example

Memorize this

formula! 
$$\sum_{i=1}^{n} i = 1 + 2 + 3 + ... + n = \frac{n^2 + n}{2}$$

Exercise:  $\sum_{i}$ 

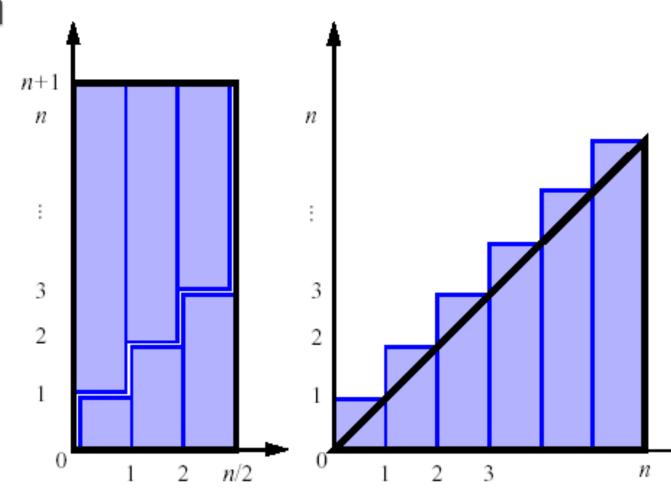
$$\sum_{i=21}^{40} i$$

Also useful for today's Growable Arrays exercise!

# Visual proofs of the summation formula

$$\sum_{i=1}^{n} i = 1 + 2 + 3 + \dots + n = \frac{n^2 + n}{2}$$

- two visual representations



## Application: Find exact and big-Oh Q13-14, turn in runtime of Selection Sort

```
for (i=n-1; i>0; i--) {
    int maxPos = 0;
    for (int j = 0; j \le i; j++) {
        if (a[j] > a[maxPos]) {
             maxPos = j;
    swap a[maxPos] with a[i];
```

- •How many comparisons of array elements are done?
  - •Exact? Big-Oh?
- •How many times are array elements copied?

#### Growable Array Analysis

An exercise in doubling, done by pairs of students

#### Arrays are ubiquitous

- Basis for ArrayLists, sorting, and hash tables
- Why? O(1) access to any position, regardless of the size of the array.

#### Limitation:

- Fixed capacity!
- If it fills, you need to re-allocate memory and copy items
  - How efficient is this?
  - Consider two schemes: "add 1" and "double"

#### Work on Growable Array Exercise

- Work with a partner
- Hand in the document before you leave today if possible. Otherwise due start of day 2's class.
- Get help as needed from me and the assistants.