

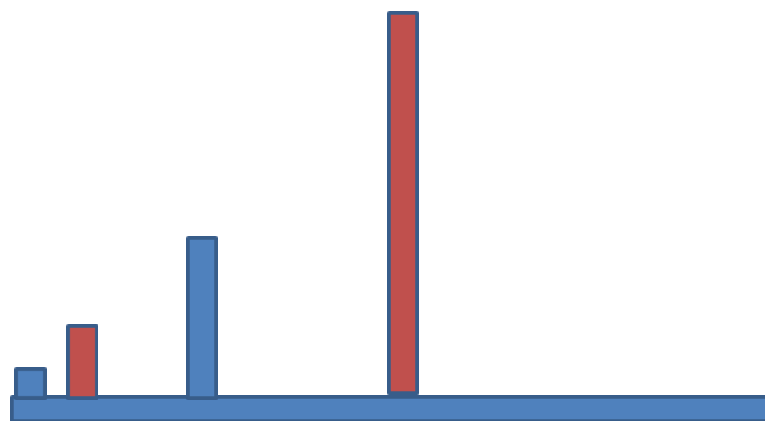
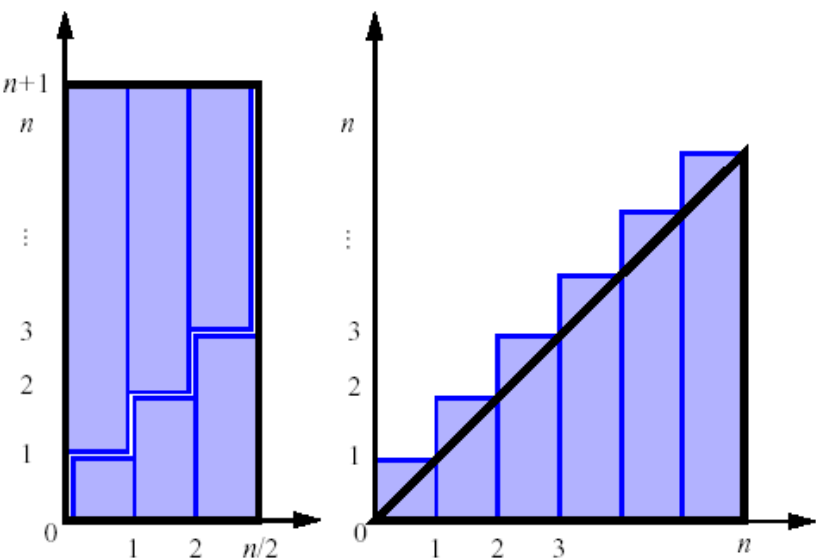
Pick up an in-class quiz from the table near the door

# CSSE 230 Data Structures and Algorithm Analysis Day 1

$$\sum_{i=1}^n i = 1 + 2 + 3 + \dots + n = \frac{n^2 + n}{2}$$

Brief Course Intro  
Math Review  
Growable Array Analysis

- two visual representations



# Introductions

- ▶ Roll call:
  - Introduce yourself to the person next to you
  - Then introduce that person to the class
    - Where from on and off campus, one hobby/interest.
  - You'll share more with classmates on discussion forum, like what work you've done that you are most proud of.
  
- ▶ Dr. B.
  - Here since 2005
  - Taught CSSE120 (with and without robots), 220, 221, 230, Image Recognition, Android, Cryptography, Fractals, Mechatronics, Robotics senior design, advised many theses and independent studies
  - Pioneering video-based online classes in CSSE

# Goal: independently design, develop and debug software that uses correct, clear, and efficient algorithms and data structures

Prove: An AVL Tree has  $O(\log n)$  height  
Proof: By definition,  
 $| \text{height}(T_L) - \text{height}(T_R) | \leq 1$   
...

Topic	I do	You do	You practice	You show off
Analysis ↓ Programming	Explain, show, do	Listen, follow, read, quiz	Homework sets Major programs	Tests Tests, project

```
/**
 * A height-balanced binary tree with rank
 * that could be the basis for a text
 * editor.
 * @author Claude Anderson and Matt Boutell.
 */
public class EditTree {
    private Node root;
    private int rotationCount = 0;
    private Node singleLeftRotation(
        Node grandParent, Node parent) {
        // Set parent nodes
    }
    ...
}
```

# How to succeed in CSSE230

- ▶ Work hard
  - Re-do CSSE220 stuff as needed to make sure your foundations (recursion and linked lists) are strong
- ▶ Take initiative in learning
  - Read the text, search Javadocs, come for help
- ▶ Focus while in this class
- ▶ Start early and plan for no all-nighters
  - Two assignments each week: 1 homework set and 1 major program
- ▶ Never give or use someone else's answers

# Tools

- ▶ <http://www.rose-hulman.edu/class/csse/csse230/201630/Schedule/>: schedule, assignments, room #s!
- ▶ [www.piazza.com](http://www.piazza.com), not email: homework questions and announcements
  - If you email, we'll usually reply, "Great question! Please post it to Piazza"
  - It should auto-email you whenever there is a post.
  - Posting and answering posts is a factor in citizenship grade
- ▶ [moodle.rose-hulman.edu](http://moodle.rose-hulman.edu): gradebook, homework pdf turn-in, peer evaluations, solutions

# After today's class, you will be able to...

- ▶ analyze runtimes of code snippets by counting instructions.
- ▶ explain why arrays need to grow as data is added.
- ▶ derive the average and worst case time to insert an item into an array [GrowableArray exercise]

# Analysis / Math Review

# Notation

- Floor

$\lfloor x \rfloor =$  the largest integer  $\leq x$

- Ceiling

$\lceil x \rceil =$  the smallest integer  $\geq x$

- **java.lang.Math**, provides the static methods **floor()** and **ceil()**



# Summations

- Summations

- general definition:

$$\sum_{i=s}^t f(i) = f(s) + f(s+1) + f(s+2) + \dots + f(t)$$

- where  $f$  is a function,  $s$  is the start index, and  $t$  is the end index

# Geometric progressions: each term is a constant multiple of the previous term

- **Geometric progression:**  $f(i) = a^i$ 
  - given an integer  $n \geq 0$  and a real number  $0 < a \neq 1$

$$\sum_{i=0}^n a^i = 1 + a + a^2 + \dots + a^n = \frac{1 - a^{n+1}}{1 - a}$$

Memorize  
this  
formula!

- geometric progressions exhibit exponential growth

Exercise: What is  $\sum_{i=2}^6 3^i$  ?

The sum can also be written:

$$\frac{a^{n+1} - 1}{a - 1}$$

This will be useful for today's Growable Arrays exercise!

# Arithmetic progressions: constant difference

Most important to us: a difference of 1

- Arithmetic progressions:
  - An example

Memorize  
this  
formula!

$$\sum_{i=1}^n i = 1 + 2 + 3 + \dots + n = \frac{n^2 + n}{2}$$

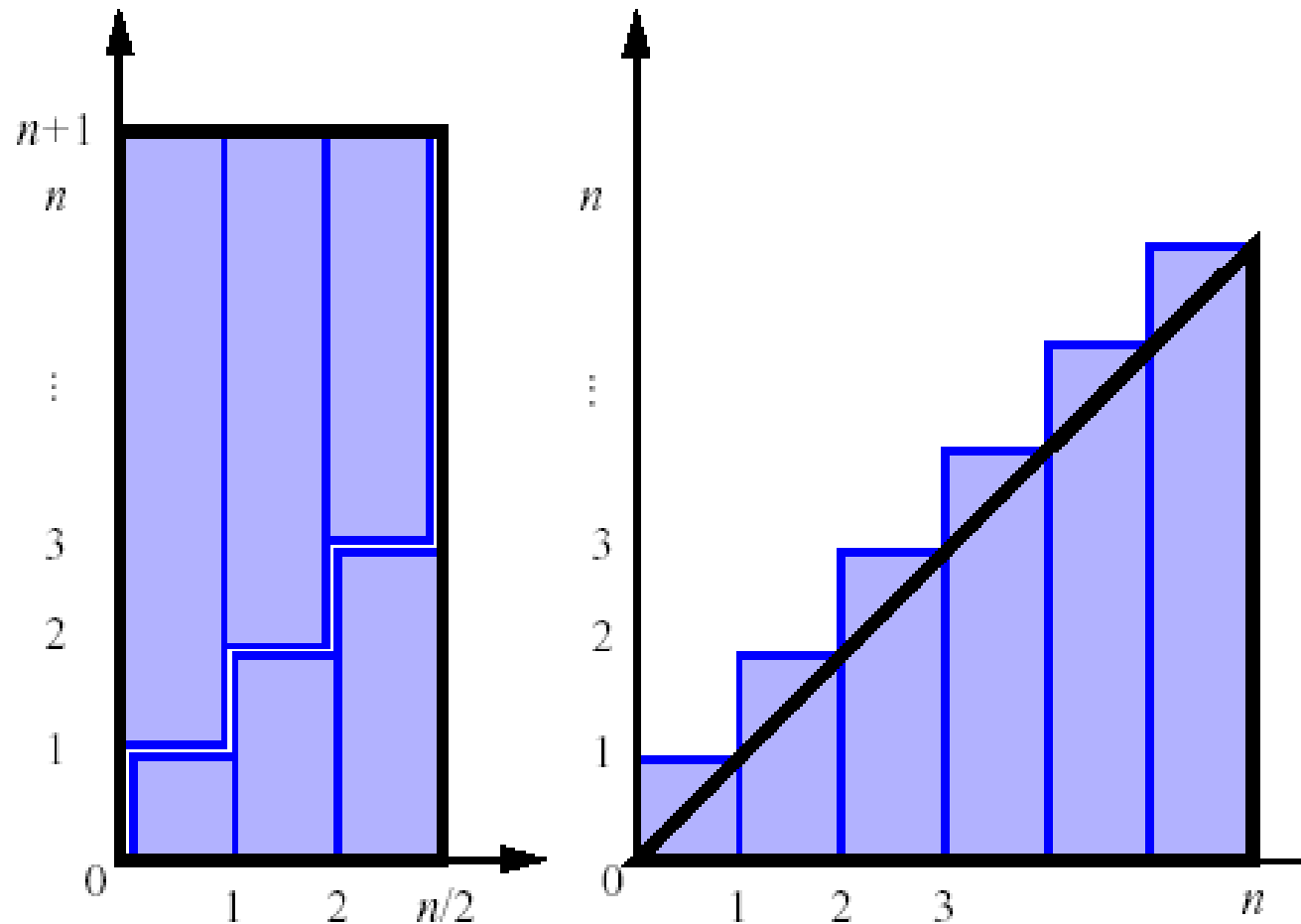
Exercise:  $\sum_{i=21}^{40} i$

Also useful for today's  
Growable Arrays exercise!

# Visual proofs of the summation formula

$$\sum_{i=1}^n i = 1 + 2 + 3 + \dots + n = \frac{n^2 + n}{2}$$

- two visual representations



# Application: Find exact and big-Oh runtime of Selection Sort

```
for (i=n-1; i>0; i--) {
    int maxPos = 0;
    for (int j = 0; j <=i; j++) {
        if (a[j] > maxPos) {
            maxPos = j;
        }
    }
    swap a[maxPos] with a[i];
}
```

- How many comparisons of array elements are done?
  - Exact? Big-Oh?
- How many times are array elements copied?

# Growable Array Analysis

An exercise in doubling,  
done by pairs of students

# Arrays are ubiquitous

- ▶ Basis for ArrayLists, sorting, and hash tables
- ▶ Why?  $O(1)$  access to any position, regardless of the size of the array.
- ▶ Limitation:
  - Fixed capacity!
  - If it fills, you need to re-allocate memory and copy items
    - How efficient is this?
    - Consider two schemes: “add 1” and “double”

# Work on Growable Array Exercise

- ▶ Work with a partner
- ▶ Hand in the document before you leave today if possible. Otherwise due start of day 2's class.
- ▶ Get help as needed from me and the assistants.