Disco I WorkSheet 4 September 14, 1998- Professor Broughton

Name:_____

Box #:_____

1. Associativity of products

1.a Let $^{(B)} = (1;2;3)(4;5); ^{-} = (2;3)(4;5); ^{\circ} = (1;5)$: Compute $(^{(B)})^{\circ}$ and $^{(B)}(^{-\circ})$: What do you observe?

1.b Compute $3(^{\mathbb{R}^-})^\circ = 3^{(^{\mathbb{R}^-})^\circ}$ and $3^{\mathbb{R}}(^{^-\circ}) = 3^{^{\mathbb{R}}(^{^-\circ})}$ step by step. What do you observe?

2. Let $\pm = (3; 4)$: Write down all the association schemes for $^{\circ} \pm ^{\circ} \pm$ and verify that two of them are equal.

2. Commutativity of Products

3.a Let $^{(B)} = (1; 2; 3; 4; 5); ^{-} = (3; 5; 6).$ Does $^{(B)} = ^{-} ^{(B)}?$

3.b Next try to see if $^{\circ} = (1; 3; 5); \pm = (2; 4; 6)$ commute.

3.c Write down a conjecture on commutativity of cycles. O¤er at least 3 examples as evidence.

3. Powers

4 Let [®] = (1; 2; 3); ⁻ = (6; 7) and [°] = [®]⁻: Compute the powers [®]n; ⁻n; [°]n in a table format until you see a pattern emerge. What is the pattern?

5. Make a prediction if $^{(e)} = (1; 2; 3; 4; 5); - = (7; 8; 9)$ and $^{\circ} = ^{(e)}:$