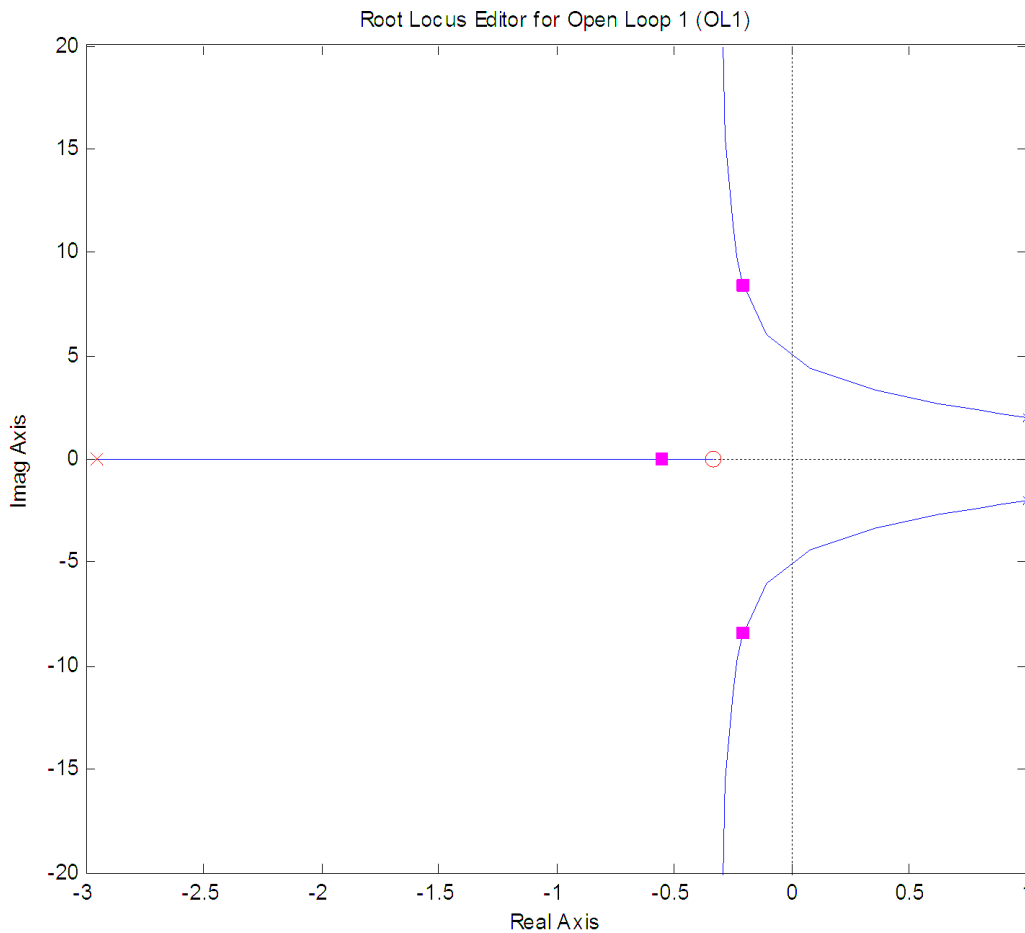


**ECE-320, Quiz #3**

Problems 1-3 refer to the following root locus plot for a unity feedback system with a plant and a controller.



1) Based on this root locus plot, the best estimate of the poles of the closed loop system are

- a)  $-0.3+j7, -0.3-j7, -0.6$     b)  $1+j2, 1-j2, \text{ and } -3$

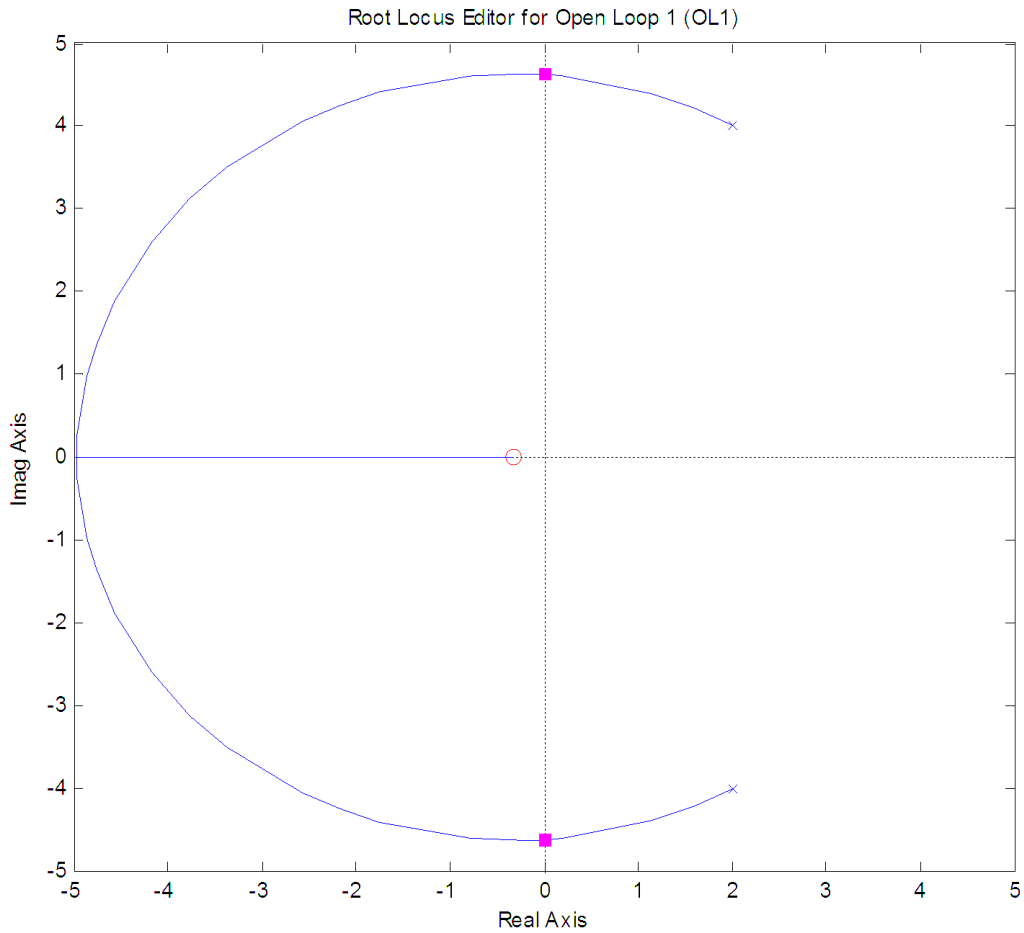
2) Is this a type one system?                      a) yes    b) no

3) Is this a stable system?                        a) yes    b) no

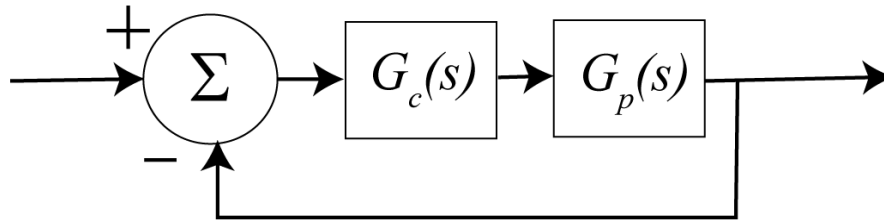
4) Consider the following root locus plot for a plant and controller in a unity feedback configuration.

If we want the system to be stable, should we

- a) increase the gain    b) decrease the gain    c) do nothing



Problems 5-10 refer to the following feedback system with plant  $G_p(s) = \frac{1}{(s+3)(s+4)}$



5) If we use a proportional controller  $G_c(s) = k_p$  will the system remain stable for all positive values of  $k_p$ ?

a) yes b) no

6) If we use a proportional controller  $G_c(s) = k_p$  is there any value of  $k_p$  for which the settling time is less than 0.5 seconds?

a) yes b) no

7) If we use an integral controller  $G_c(s) = \frac{k_i}{s}$  will the system remain stable for all positive values of  $k_i$ ?

a) yes b) no

8) If we use an integral controller  $G_c(s) = \frac{k_i}{s}$  is there any value of  $k_i$  for which the settling time is less than 0.5 seconds?

a) yes b) no

9) For which of the following PID controllers will the settling time be smaller as  $k \rightarrow \infty$

a)  $G_c(s) = \frac{k(s+2+j)(s+2-j)}{s}$     b)  $G_c(s) = \frac{k(s+4+2j)(s+4-2j)}{s}$

c) the results will be the same

10) For which of the following PD controllers will the settling time be smaller as  $k \rightarrow \infty$

a)  $G_c(s) = k(s+5)$     b)  $G_c(s) = k(s+10)$     c) the results will be the same

Name \_\_\_\_\_ Mailbox \_\_\_\_\_

**11)** The standard form for a PID controller is

$$G_c(s) = k_p + \frac{k_i}{s} + k_d s$$

For the following PID controller  $G_c(s) = \frac{5(s^2 + 2s + 1)}{s}$  determine  $k_p$ ,  $k_i$ , and  $k_d$