ECE-320, Practice Quiz #1

Problems 1 and 2 refer to the following transfer function $H(s) = \frac{2s+1}{(s+1)^2+4}$

1) For this transfer function, the corresponding impulse response h(t) is composed of which terms?

a) $e^{-t} \cos(2t), e^{-t} \sin(2t)$ b) $e^{-2t} \cos(t), e^{-2t} \sin(t)$ c) $e^{-t} \cos(4t), e^{-t} \sin(4t)$ d) $e^{-4t} \cos(t), e^{-4t} \sin(t)$

2) The **poles** of the transfer function are

a) $2 \pm j$ b) $-2 \pm j$ c) $-1 \pm 2j$ d) $-1 \pm 4j$

Problems 3 and 4 refer to the impulse responses of six different systems given below:

$$h_{1}(t) = [1 + e^{-t}]u(t)$$

$$h_{2}(t) = e^{-2t}u(t)$$

$$h_{3}(t) = [2 + \sin(t)]u(t)$$

$$h_{4}(t) = [1 - t^{3}e^{-0.1t}]u(t)$$

$$h_{5}(t) = [1 + t + e^{-t}]u(t)$$

$$h_{6}(t) = [te^{-t}\cos(5t) + e^{-2t}\sin(3t)]u(t)$$

3) The number of (asymptotically) maginally stable systems is a) 0 b) 1 c) 2 d) 3

4) The number of (asymptotically) **unstable systems** is a) 0 b) 1 c) 2 d) 3

5) Which of the following transfer functions represents a (asymptotically) stable system?

$$\begin{aligned} G_a(s) &= \frac{s-1}{s+1} & G_b(s) = \frac{1}{s(s+1)} & G_c(s) = \frac{s}{s^2 - 1} \\ G_d(s) &= \frac{s+1}{(s+1+j)(s+1-j)} & G_e(s) = \frac{(s-1-j)(s-1+j)}{s} & G_f(s) = \frac{(s-1-j)(s-1+j)}{(s+1-j)(s+1+j)} \end{aligned}$$

a) all but G_c b) only G_a , G_b , and G_d c) only G_a , G_d , and G_f d) only G_d and G_f e) only G_a and G_d

Problems 6 and 7 refer to the following impulse responses of six different systems

$$h_{1}(t) = [te^{-t}]u(t)$$

$$h_{2}(t) = e^{-2t}u(t)$$

$$h_{3}(t) = [2e^{-2t} + t^{3}\sin(t)]u(t)$$

$$h_{4}(t) = [1 - t^{3}e^{-0.1t}]u(t)$$

$$h_{5}(t) = [1 + t + e^{-t}]u(t)$$

$$h_{6}(t) = [te^{-t}\cos(5t) + e^{-2t}\sin(3t)]u(t)$$

6) The number of (asymptitcally) <u>unstable</u> systems is
a) 1 b) 2 c) 3 d) 4
7) The number of (asymptotically) <u>marginally stable</u> systems is
a) 1 b) 2 c) 3 d) 4

Problems 8 and 9 refer to a system with poles at -2+5j. -2-5j. -10+j, -10-j, and -20

8) The best estimate of the <u>settling time</u> for this system is

a) 2 seconds b) 0.4 seconds c) 4/5 seconds d) 0.2 seconds

9) The <u>dominant pole(s)</u> of this system are a) -2+5j and -2-5j b) -10+j and -10-j c) -20

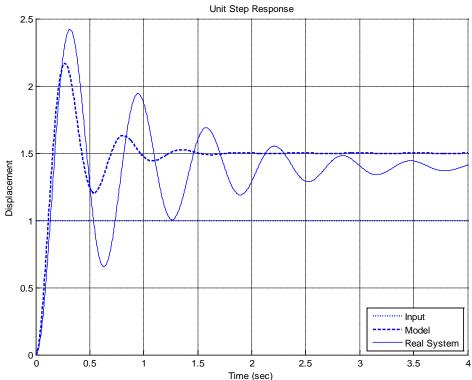
10) Which of the following transfer functions represents a (asymptotically) stable system?

$$\begin{aligned} G_a(s) &= \frac{s-1}{s+1} & G_b(s) = \frac{s}{(s+1)} & G_c(s) = \frac{s}{s^2-1} \\ G_d(s) &= \frac{s+1}{(s+1+j)(s+1-j)} & G_e(s) = \frac{(s-1-j)(s-1+j)}{(s+2)^2} & G_f(s) = \frac{(s-1-j)(s-1+j)}{(s+1-j)(s+1+j)} \end{aligned}$$

a) all but G_c b) only G_a , G_b , and G_d c) only G_a , G_d , and G_f d) only G_d and G_f

e) only G_a and G_d

Problems 11-13 refer to the figure below, which shows the unit step response of a real 2nd order system and the unit step response of a second order model we are trying to match to the real system.



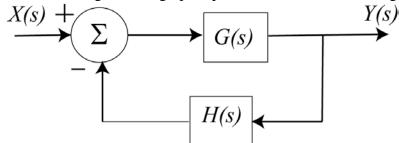
11) In order to make the model better match the real system, the *damping ratio* of the *model* should be a) increased b) decreased c) left alone d) impossible to determine

12) In order to make the model better match the real system, the *natural frequency* of the *model* should be

a) increased b) decreased c) left alone d) impossible to determine

13) In order to make the model better match the real system, the *static gain* of the *model* should be a) increased b) decreased c) left alone d) impossible to determine

For problems 14-18, consider the signal flow graph representation of the following block diagram.



14) The path is a) 1 b) G c) H d) GH e) none of these

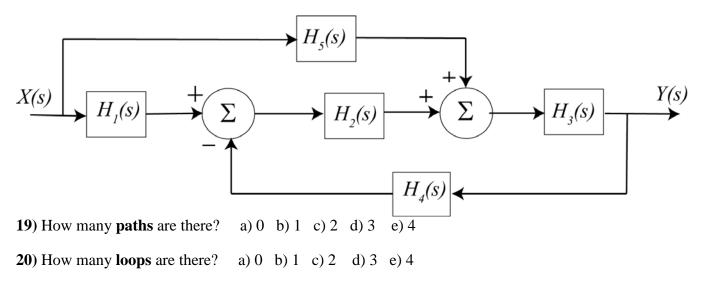
15) The loop is a) 1 b) G c) H d) GH e) none of these

16) The **determinant** (Δ) is a) 1 b) 1-GH c) 1+GH d) none of these

17) The **cofactor** is a) 1 b) G c) H d) GH e) none of these

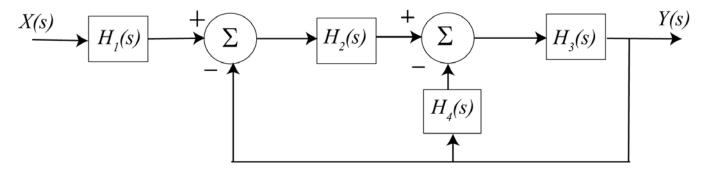
18) The transfer function is a) 1 b) G c) GH d) $\frac{G}{1-GH}$ e) $\frac{G}{1+GH}$

For problems 19-21, consider the signal flow graph representation of the following block diagram.



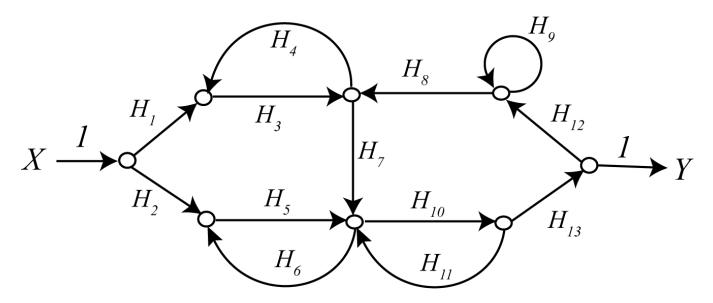
- **21)** The **determinant** (Δ) is (a) 1 b) $1 H_2 H_3 H_4$ c) $1 + H_2 H_3 H_4$ d) none of these
- **22)** The transfer function is a) 1 b) $\frac{H_3H_5 + H_1H_2H_3}{1 + H_2H_3H_4}$ c) $\frac{H_3H_5 + H_1H_2H_3}{1 H_2H_3H_4}$

For problems 23 – 26 consider the signal flow graph representation of the following block diagram.



- **23)** How many **paths** are there? a) $(0 \ b) (1 \ c) (2 \ d) (3 \ e) (4 \ c) (2 \ d) (3 \ e) (4 \ c) (2 \ d) (3 \ e) (4 \ c) (2 \ d) (3 \ e) (4 \ c) (2 \ d) (3 \ e) (4 \ c) (2 \ d) (3 \ e) (4 \ c) (2 \ d) (3 \ e) (4 \ c) (2 \ d) (3 \ e) (4 \ c) (2 \ d) (3 \ e) (4 \ c) (2 \ d) (3 \ e) (4 \ c) (2 \ d) (3 \ e) (4 \ c) (2 \ d) (3 \ e) (4 \ c) (2 \ d) (3 \ e) (4 \ c) (2 \ d) (3 \ e) (4 \ c) (4 \ c) (3 \ e) (4 \ c) (4 \ c)$
- **24)** How many **loops** are there? a) 0 b) 1 c) 2 d) 3 e) 4
- **25)** The **determinant** (Δ) is a) 1 b) $1 H_2 H_3 H_3 H_4$ c) $1 + H_2 H_3 + H_3 H_4$ d) none of these
- **26)** The transfer function is a) 1 b) $\frac{H_1H_2H_3}{1-H_2H_3-H_3H_4}$ c) $\frac{H_1H_2H_3}{1+H_2H_3+H_3H_4}$

For problems 27-29 consider the following signal flow graph



27) How many **paths** are there? a) $1 \ b) 2 \ c) 3 \ d) 4$

28) How many **loops** are there? a) 2 b) 3 c) 4 d) 5 e) 6 f) 7

29) Are any of the cofactors equal to 1? a) yes b) no

Answers: 1-a, 2-c, 3-d, 4-b, 5-c, 6-b, 7-a, 8-a, 9-a, 10-a, 11-b, 12-b, 13-b, 14-b, 15-e, 16-c, 17-a, 18-e, 19-c, 20-b, 21-c, 22-b, 23-b, 24-c, 25-c, 26-c, 27-b, 28-d, 29-b