ECE-320, Practice Quiz #1

Problems 1-3 assume we have a system modeled with the transfer function

$$H(s) = \frac{s+2}{(s+1)(s+3)(s+4)}$$

- 1) This system model has how many zeros?
- a) 0 b) 1 c) 2 d) 3
- 2) This system model has how many **poles**?
- a) 0 b) 1 c) 2 d) 3
- 3) How many terms will there be in the partial fraction expansion?
- a) 0 b) 1 c) 2 d) 3
- 4) How many terms will there be in the partial fraction expansion of $H(s) = \frac{1}{s(s+1)^2}$?
- a) 0 b) 1 c) 2 d) 3
- 5) The **bandwidth** (3 dB point) of the system with transfer function $H(s) = \frac{10}{s+10}$ is
- a) 10 Hz b) 1 Hz c) 10 radians/sec d) 1 radians/sec
- **6**) The $\underline{\text{bandwidth}}$ (smallest 3 dB point) of the system with transfer function

$$H(s) = \frac{40}{(s+2)(s+20)}$$
 is

a) 2 Hz b) 20 Hz c) 2 radians/sec d) 20 radians/sec

For problems 7-9 assume we have a system modeled by the transfer function H(s).

7) To determine the **impulse response** we should compute the inverse Laplace transform of

a)
$$Y(s) = H(s)$$
 b) $Y(s) = H(s)\frac{1}{s}$ c) $Y(s) = H(s)\frac{1}{s^2}$ d) $Y(s) = H(s)\frac{1}{s^3}$

8) To determine the (unit) step response we should compute the inverse Laplace transform of

a)
$$Y(s) = H(s)$$
 b) $Y(s) = H(s)\frac{1}{s}$ c) $Y(s) = H(s)\frac{1}{s^2}$ d) $Y(s) = H(s)\frac{1}{s^3}$

9) To determine the (unit) ramp response we should compute the inverse Laplace transform of

a)
$$Y(s) = H(s)$$
 b) $Y(s) = H(s)\frac{1}{s}$ c) $Y(s) = H(s)\frac{1}{s^2}$ d) $Y(s) = H(s)\frac{1}{s^3}$

10) For the transfer function

$$H(s) = \frac{1}{s(s+2)^2}$$

the corresponding impulse response h(t) is composed of which terms?

- a) $t^2 e^{-2t}$
- b) t and te^{-2t}
- c) 1 and te^{-2t}
- d) te^{-2t}
- e) 1, e^{-2t} , and te^{-2t}

Problems 11 and 12 refer to the following transfer function $H(s) = \frac{2s+1}{(s+1)^2+4}$

- 11) For this transfer function, the corresponding impulse response h(t) is composed of which terms?
- a) $e^{-t}\cos(2t)$, $e^{-t}\sin(2t)$ b) $e^{-2t}\cos(t)$, $e^{-2t}\sin(t)$
- c) $e^{-t}\cos(4t)$, $e^{-t}\sin(4t)$ d) $e^{-4t}\cos(t)$, $e^{-4t}\sin(t)$
- 12) The poles of the transfer function are
- a) $2 \pm j$ b) $-2 \pm j$ c) $-1 \pm 2j$ d) -1 + 4i

- **13**) An impulse response h(t) is composed of the terms 1, t, e^{-t} A possible corresponding transfer function (for some constant value A) is
- a) $H(s) = \frac{A}{s(s+1)}$ b) $H(s) = \frac{A}{s^2(s+1)}$ c) $H(s) = \frac{As}{(s+1)}$ d) $H(s) = \frac{A}{s(s+1)^2}$

- 14) In using partial fractions to go from the Laplace domain to the time domain for a transfer function with no pole/zero cancellations, the number of terms used in the partial fraction expansion is determined by
- a) the zeros of the transfer function b) the poles of the transfer function
- 15) For the transfer function

$$H(s) = \frac{s+1}{(s+1)(s+2)^2}$$

The partial fraction expansion will be of the form

a)
$$H(s) = \left(\frac{A}{s+1}\right)\left(\frac{B}{s+2}\right)\left(\frac{C}{(s+2)^2}\right)$$
 b) $H(s) = \frac{A}{s+1} + \frac{B}{s+2} + \frac{C}{(s+2)^2}$

b)
$$H(s) = \frac{A}{s+1} + \frac{B}{s+2} + \frac{C}{(s+2)^2}$$

c)
$$H(s) = \frac{A}{s+1} + \frac{C}{(s+2)^2}$$

c)
$$H(s) = \frac{A}{s+1} + \frac{C}{(s+2)^2}$$
 d) $H(s) = \left(\frac{A}{s+1}\right) \left(\frac{C}{(s+2)^2}\right)$

Answers: 1-b, 2-d, 3-d, 4-d, 5-c, 6-c, 7-a, 8-b, 9-c, 10-e, 11-a, 12-c, 13-b, 14-b, 15-b