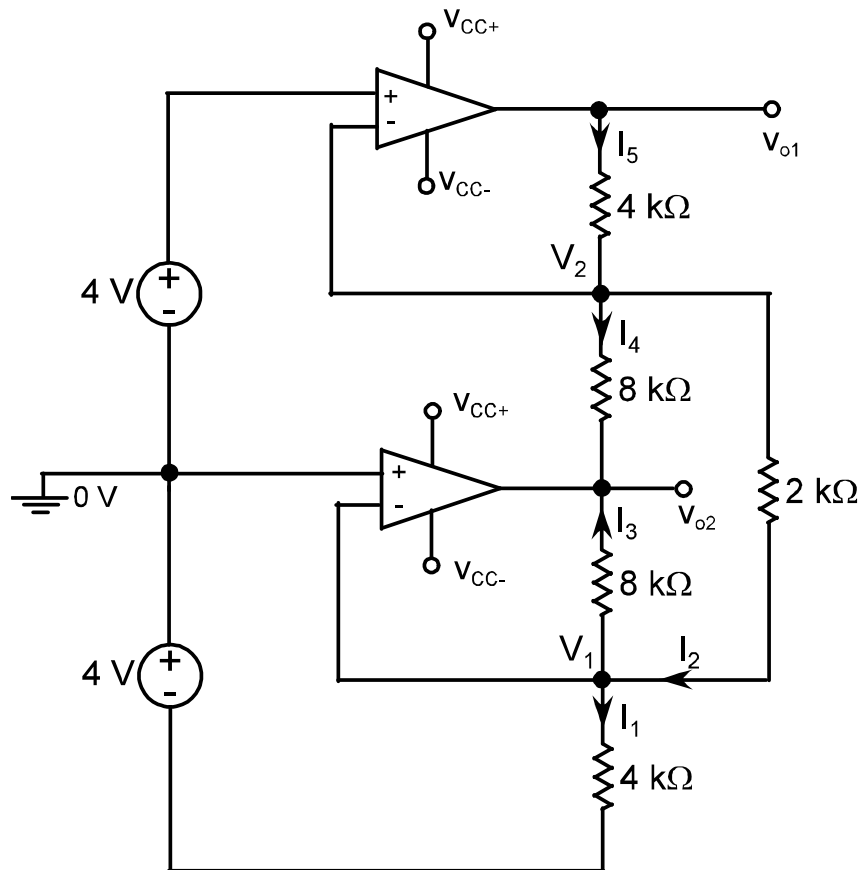


Homework Set #23
DUE Tuesday, May 9, 2017

1. Determine :
- V_{o1} & V_{o2} .
 - The minimum absolute values of V_{CC+} and V_{CC-} .



Since $V_1 = 0 \text{ V}$, $I_1 = \frac{4}{4} = 1 \text{ mA}$. Since $V_2 = 4 \text{ V}$, $I_2 = \frac{4}{2} = 2 \text{ mA}$.

This gives: $I_3 = 1 \text{ mA}$, and $V_{o2} = 0 - 8 \times 1 = -8 \text{ V}$

$$I_4 = \frac{4 - (-8)}{8} = 1.5 \text{ mA}, \quad \text{and} \quad I_5 = 1.5 + 2 = 3.5 \text{ mA}.$$

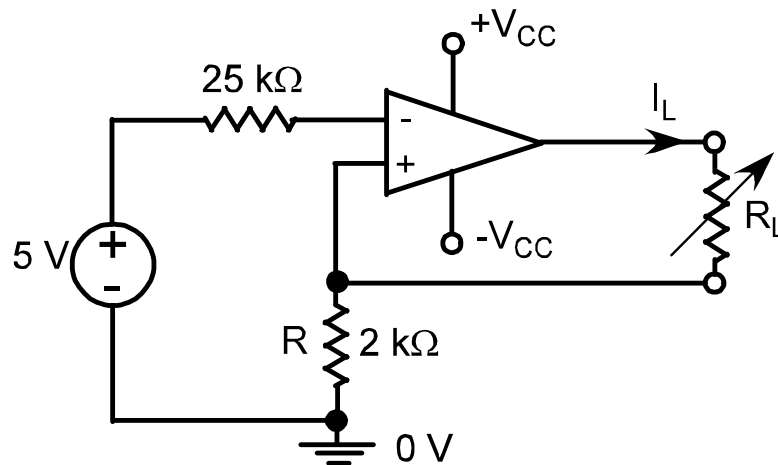
This gives: $V_{o1} = 4 + 4 \times 3.5 = 18 \text{ V}$

If no allowance is made for distortion: $V_{CC+} = 18 \text{ V}, V_{CC-} = -8 \text{ V}$

Allowing for distortion: $V_{CC+} = 19.5 \text{ V}, V_{CC-} = -9.5 \text{ V}$

Either of the above are OK.

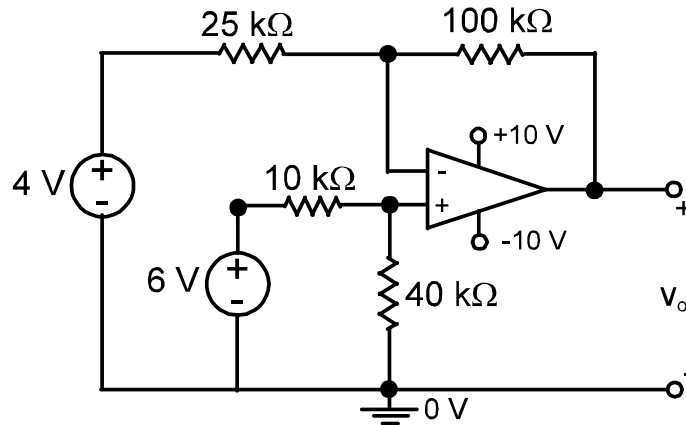
2. Design (i.e. draw the diagram and insert all parameter values) a constant current amplifier that will output 2.5 mA over its operating range and is driven from a signal that has a Thevenin equivalent of 5 V and 25 k Ω . Assume the op amp is ideal and operates in its linear range. Specify the smallest value of $\pm V_{CC}$ if the largest load resistance is 5 k Ω .



Load current is 2.5 mA: $\therefore R = \frac{V_s}{I_L} = \frac{5}{2.5} = 2 \text{ k}\Omega$

At onset of saturation: $V_{CC+} = V_s + I_L \times R_{L\text{sat}} = 5 + 2.5 \times 5 = 17.5 \text{ V}$

3. a) Determine v_o for the following circuit. Assume the op amp and power supplies are ideal.



- b) Determine CMRR if the worst-case values of the resistors are: 22.5 kΩ for 25 kΩ, 90 kΩ for 100 kΩ, 11 kΩ for 10 kΩ, 36 kΩ for 40 kΩ.

- a) The gain on each channel is 4 so:

$$v_o = 4(6 - 4) = 8 \text{ V}$$

- b) The CMRR gets worse as ϵ gets larger. The worst-case (largest ϵ) occurs for:
 $R_{2-} = 90 \text{ k}\Omega$, $R_{1-} = 22.5 \text{ k}\Omega$, $R_{2+} = 36 \text{ k}\Omega$, $R_{1+} = 11 \text{ k}\Omega$

This gives:
$$\epsilon = 1 - \frac{R_{1-} R_{2+}}{R_{2-} R_{1+}} = 1 - \frac{22.5 \times 36}{90 \times 11} = 0.1818$$

Which results in:
$$CMRR = \left| \frac{1 + \frac{R_{2-}}{R_{1-}}}{-\epsilon} \right| = \left| \frac{1 + \frac{90}{22.5}}{-0.1818} \right| = 27.5$$