

# CSSE463: Image Recognition

## Day 6

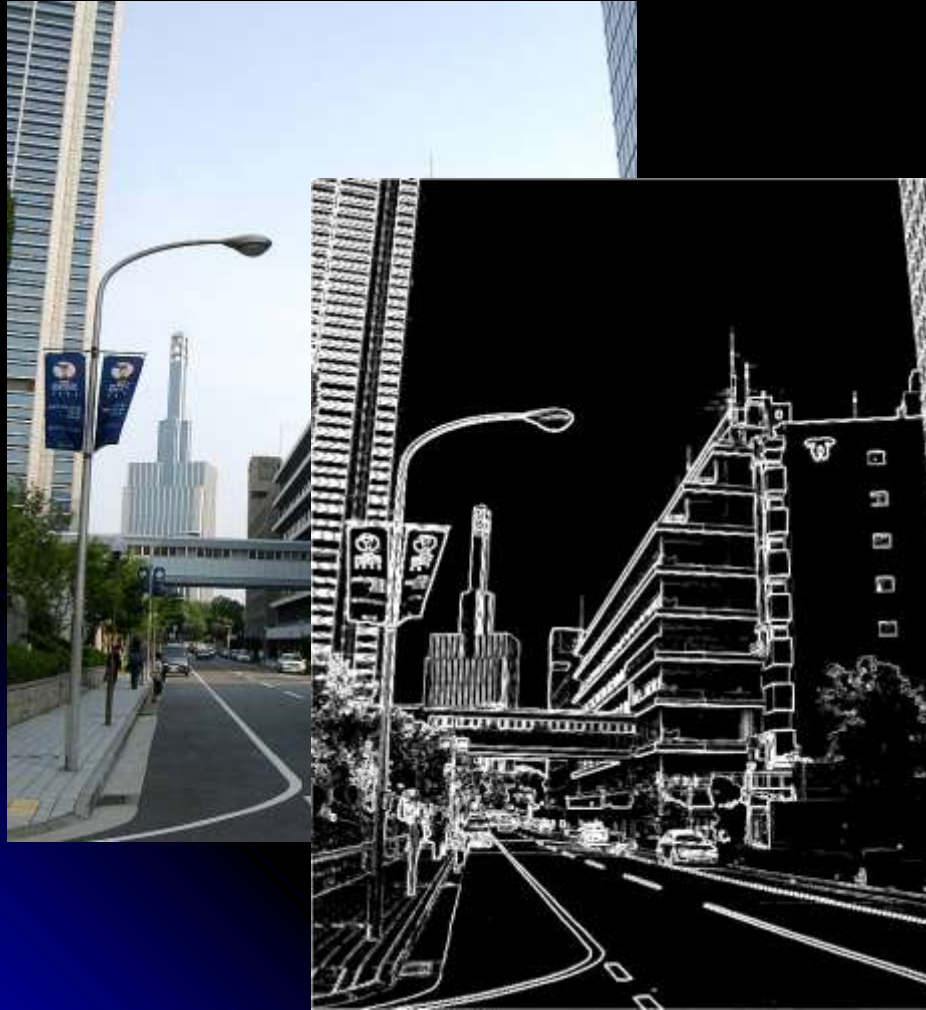
- Yesterday:
  - Local, global, and point operators all operate on entire image, changing one pixel at a time!!
- Lab due tomorrow night, 11:59pm.
- Fruit-finder deadline **Friday**, 11:59pm
  - Please leave time for a solid writeup
  - See updated grading rubric online for standards
  - Questions?
- Today: edge features (another local operator)
  - Sonka 5.3

There are only two people in this world:

1. Those who index their arrays starting at 1
1. Those who index their arrays starting at 0

Thanks to 463 student Thomas Root for  
clarifying this for us.

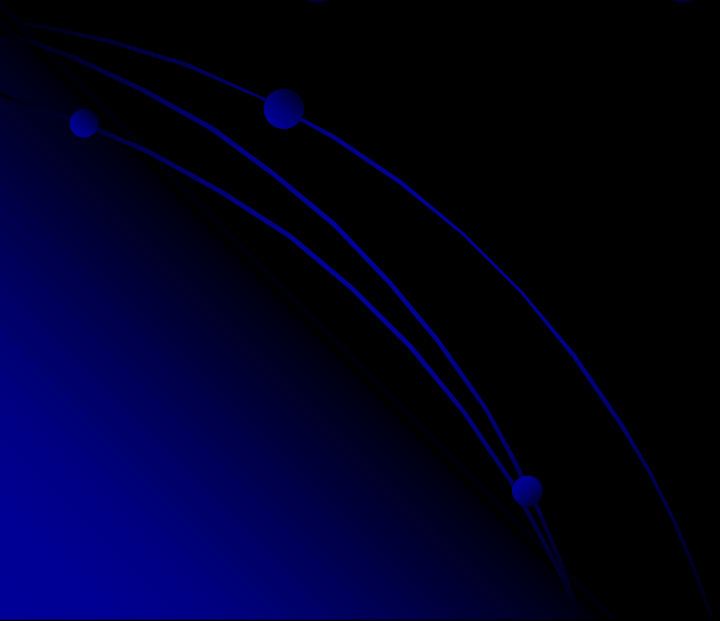
# Edge Features – Why?



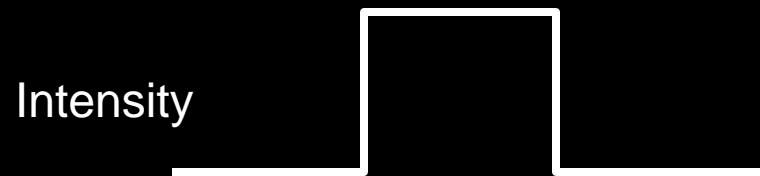
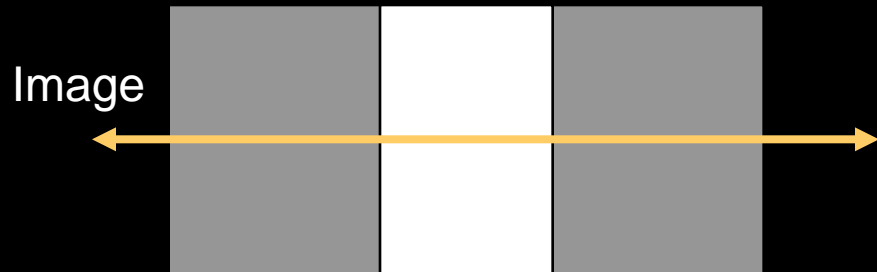
- “Edginess” (# edges) and their directions can give you info about the scene content
  - Orientation of the image
  - Natural vs. manmade images
- Edges can be used to segment the image.
  - Color information is usually used as well.
  - Specifically, boundaries occur where the chroma and/or luminance change (drastically).
- We choose use to enhance the fruit-finder in a later assignment (*not* now).

# Outline for next 2 sessions

- Concept: How to find “edges” in 1D signal
- Edges in 2D images
- Limitations
- Edges vs edgels, Canny edge detector



# Intuition: Finding edges



- What's an edge?
- Graph intensity
- How to find changes in intensity?
- How to find first derivative?

# Finding derivatives (1D)

- Let  $y$  be intensity of point at location  $x$

- Def: 
$$\frac{\partial y}{\partial x} \approx \frac{\Delta y}{\Delta x}$$

- Fix  $\Delta x = 1$  pixel

- $dy/dx = y_2 - y_1$

$f$ : [ 0 0 0 0 0 50 50 50 50 0 0 0 0 0 ] ;

$f'$ : [ 0 0 0 0 0 50 0 0 0 -50 0 0 0 0 ] ;

- Correlate image with filter  $[-1, 1]$  to find positions of change.
  - Edges “between” pixels.
  - What is significance of magnitude of first deriv. ?

# Applying Filters

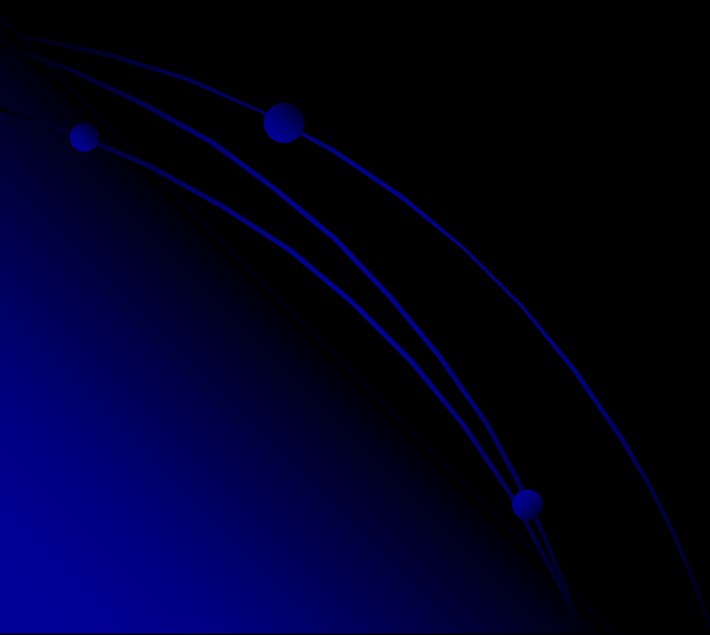
- *Example for differential with  $\Delta x = 2$  pixels:  
(No output “between” pixels)*

Image	5	8	9	1	2	2	1	2	1	3	1	3
Mask	$-\frac{1}{2}$	$-\frac{1}{2}$	$0\frac{1}{2}$	$\frac{1}{2}$	$\frac{1}{2}$							
Output		2	-3.5	-3.5	...							

- $\frac{1}{2}$  Examples for certain types (in notes)
  - *Step edges, ramps, impulse*
- *Properties*
  - *If no contrast?*

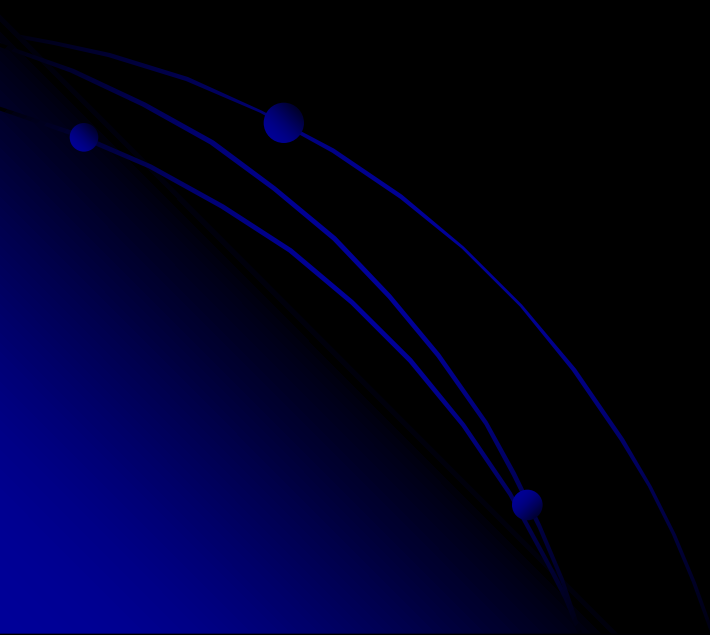
# Why should the values in an edge filter sum to 0?

- What if they didn't?
- Consider a homogeneous region:  
f: 40, 40, 40, 40, 40, 40



# How can we characterize regions of high contrast?

- $y'$
- $y''$

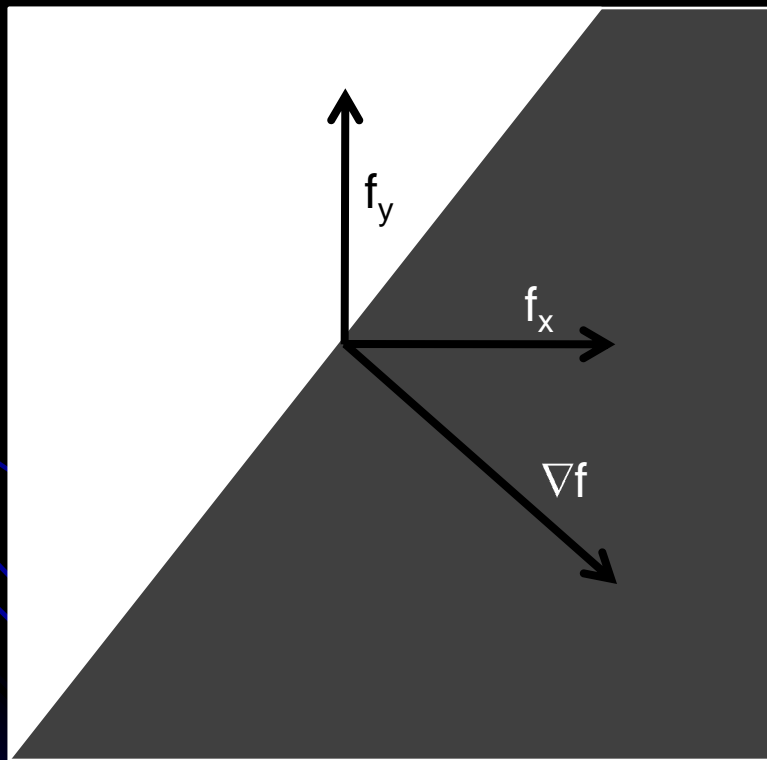


# 2D Edges

- Local operators
  - Prewitt operators
  - Sobel masks
  - Roberts 2x2 cross-operators
- Gradient: magnitude
- Gradient direction

# Gradients

Vector pointing in direction of greatest change:  
We want its magnitude and direction



# Demo

- My homemade edgefinder
  - Finds vertical and horizontal edges using filters
  - Combines to find edge magnitude
  - Combines to find edge direction
  - Re-scale for display
- Similar to part of Lab 3.
  - So I can't post code

# 1. Find partials using filters

To find  $\frac{\partial f}{\partial x}$ , use Prewitt:  $\frac{1}{6} \begin{bmatrix} -1 & 0 & 1 \\ -1 & 0 & 1 \\ -1 & 0 & 1 \end{bmatrix}$  or Sobel:  $\frac{1}{8} \begin{bmatrix} -1 & 0 & 1 \\ -2 & 0 & 2 \\ -1 & 0 & 1 \end{bmatrix}$  filter

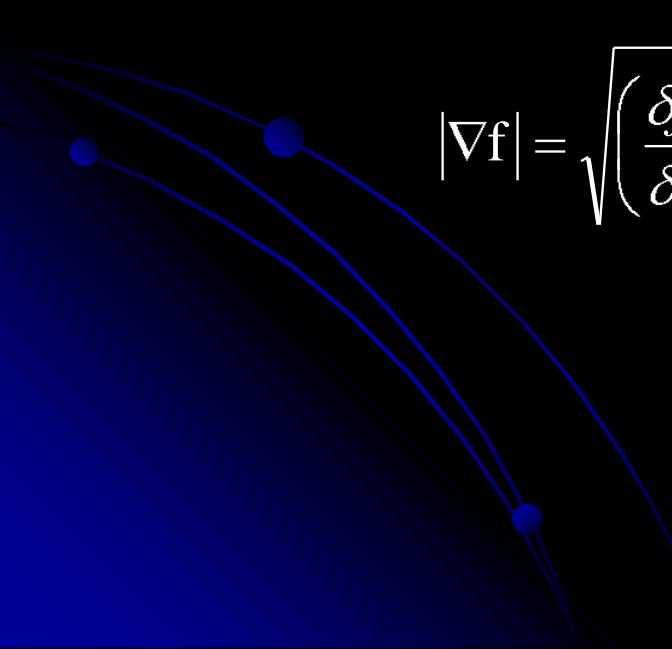
To find  $\frac{\partial f}{\partial y}$ , use Prewitt:  $\frac{1}{6} \begin{bmatrix} 1 & 1 & 1 \\ 0 & 0 & 0 \\ -1 & -1 & -1 \end{bmatrix}$  or Sobel:  $\frac{1}{8} \begin{bmatrix} 1 & 2 & 1 \\ 0 & 0 & 0 \\ -1 & -2 & -1 \end{bmatrix}$  filter

Note that this is 1D filter, but averaged over 3 rows (for  $df/dx$ ) or 3 cols (for  $df/dy$ ) and multiplied by 6 to change to integer multiplication

Roberts 2x2 cross operators  $\begin{bmatrix} 0 & 1 \\ -1 & 0 \end{bmatrix}$ ,  $\begin{bmatrix} 1 & 0 \\ 0 & -1 \end{bmatrix}$  are more sensitive to noise

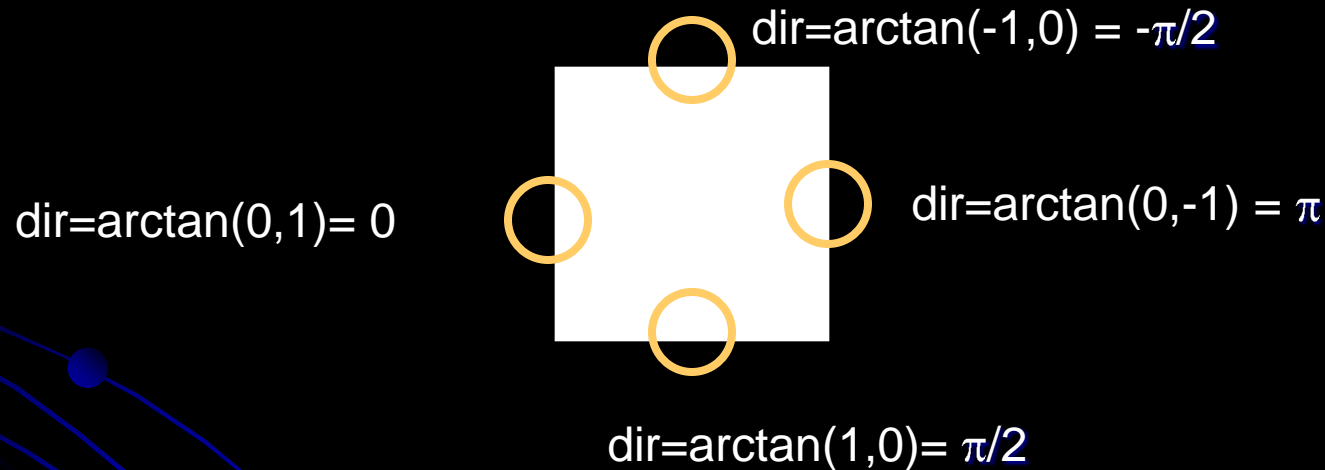
## 2. Find edge gradient magnitude

- Definition: the gradient,  $\nabla f$ , is the vector pointing in the direction of greatest change.
- To find its magnitude:

$$|\nabla f| = \sqrt{\left(\frac{\partial f}{\partial x}\right)^2 + \left(\frac{\partial f}{\partial y}\right)^2}$$


### 3. Find edge gradient direction

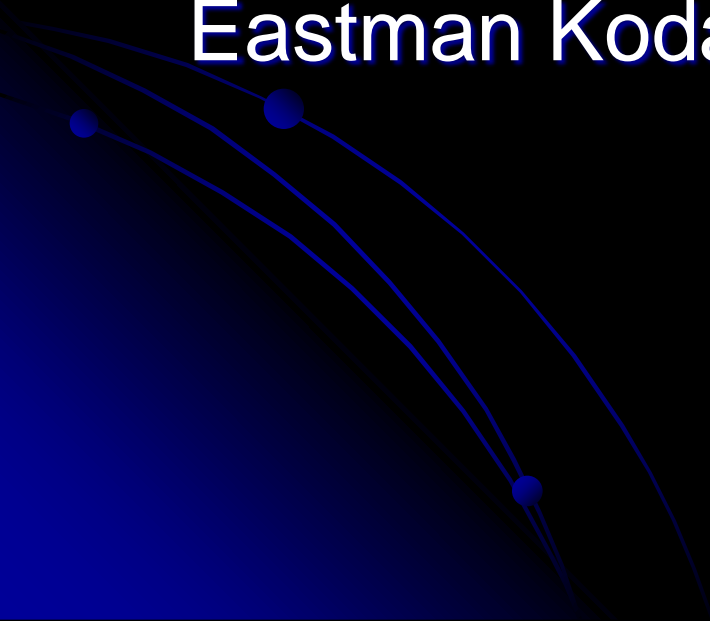
- $\tan^{-1}(y,x)$
- Matlab's  $\text{atan2}(y,x)$  gives full range,  $[-\pi, \pi]$



- Direction is thus the angle formed by the x-axis and the line “pointing towards” light region.

# Color edges

- Rarely used historically
- Intuition: edges occur between regions of different hue but same intensity.
- One technique patented by David Cok, Eastman Kodak Co.



# Limitations of edgel-finders

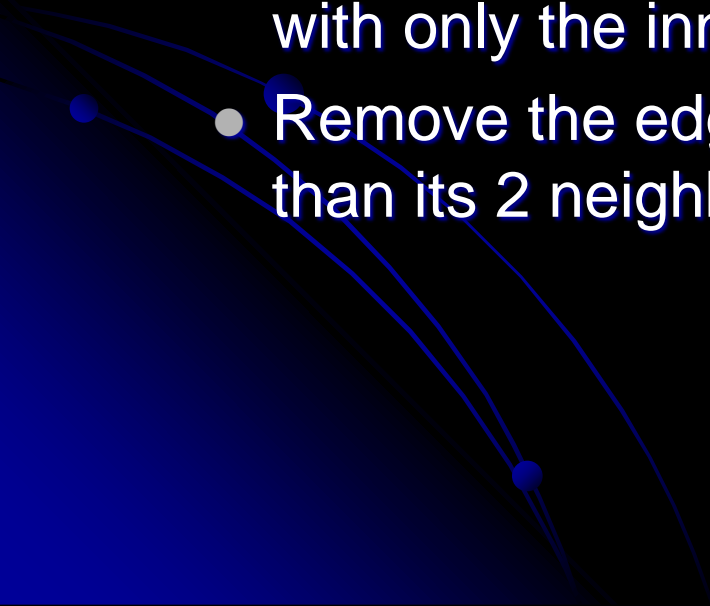
- Natural variation
  - Shadows and highlights can obscure edges
- Internal vs. external edges
  - We might want the outline of an article of clothing, but the stripes in our shirt are edges too.
- Noise!
  - Signal-to-noise ratio important in determining how hard it is to find edges.

# Edgels vs. Edges



- *Edgels* are unconnected groups of pixels detected by a mask
- *Edges* are longer segments found by grouping edgels
  - Intuitively, we think of edges
- How might you process a “raw” edge image?

# From mask output to edgels: ideas

- Threshold away “weak” output
    - What threshold to use?
    - Always fixed or should it vary?
  - “Thin” edges by nonmaximum suppression.
    - Idea: If an edge is 5 pixels wide, we can replace it with only the innermost segment.
    - Remove the edge response of a pixel not greater than its 2 neighbors in the direction of the gradient.
- 

# Canny edge detection

- First smoothes the intensity image
  - Parameter  $\sigma$  controls how many edges found
- Non-maximal suppression
- Uses two thresholds:
  - High: to initiate contour following
  - Low: to follow along a contour
  - Result: segments from noise are less likely to be found (unless the noise is too strong)
- Aggregates neighboring edgels into curves (“edges”)

# Canny edge detection

- You'll get to play with various edgefinders in Lab2 using Matlab's built-in *edgedemo*

